## ST.ANNE'S

COLLEGE OF ENGINEERING AND TECHNOLOGY
(Approved by AICTE, New Delhi. Affiliated to Anna University, Chennai)
(An ISO 9001: 2015 Certified Institution)
ANGUCHETTYPALAYAM, PANRUTI-607 106.


# DEPARTMENT OF COMPUTER SCIENCE AND ENGINEERING 

## LAB MANUAL

JUNE 2020- OCT 2020 ODD SEMESTER

SUBJECT CODE/NAME: CS8382, DIGITAL SYSTEMS
LABORATORY

## LIST OF EXPERIMENTS

1. Verification of Boolean Theorems using basic gates.
2. Design and implementation of combinational circuits using basic gates for arbitrary functions, code converters.
3. Design and implement Half/Full Adder and Subtractor.
4. Design and implement combinational circuits using MSI devices:
$\Pi 4$ - bit binary adder / subtractor
$\Pi$ Parity generator / checker
$\sqcap$ Magnitude Comparator
$\sqcap$ Application using multiplexers
5. Design and implement shift-registers.
6. Design and implement synchronous counters.
7. Design and implement asynchronous counters.
8. Coding combinational circuits using HDL.
9. Coding sequential circuits using HDL.
10. Design and implementation of a simple digital system (Mini Project).

## INDEX

| Ex.No. | Date | Title | Marks | Staff Sign. |
| :---: | :---: | :---: | :---: | :---: |
| 1 a |  | STUDY OF LOGIC GATES |  |  |
| 1 b |  | VERIFICATION OF BOOLEAN THEOREMS USING DIGITAL LOGIC GATES |  |  |
| 2 |  | CODE CONVERTOR |  |  |
| 3 a |  | ADDER AND SUBTRACTOR |  |  |
| 4 a |  | 4-BIT ADDER AND SUBTRACTOR |  |  |
| 4b |  | PARITY GENERATOR \& CHECKER |  |  |
| 4 c |  | MAGNITUDE COMPARATOR |  |  |
| 4d |  | MULTIPLEXER AND DEMULTIPLEXER |  |  |
| 5 |  | SHIFT REGISTER |  |  |
| 6 |  | SYNCHRONOUS AND <br> ASYNCHRONOUS COUNTER |  |  |
| CODING - VERILOG \& VHDL |  |  |  |  |
| 7 |  | BASIC LOGIC GATES |  |  |
| 8 |  | COMBINATIONAL AND SEQUENTIAL CIRCUITS |  |  |

## AIM:

To study about logic gates and verify their truth tables.

## APPARATUS REQU̇IRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY |
| :---: | :--- | :---: | :---: |
| 1. | AND GATE | IC 7408 | 1 |
| 2. | OR GATE | IC 7432 | 1 |
| 3. | NOT GATE | IC 7404 | 1 |
| 4. | NAND GATE 2 I/P | IC 7400 | 1 |
| 5. | NOR GATE | IC 7402 | 1 |
| 6. | X-OR GATE | IC 7486 | 1 |
| 7. | NAND GATE 3 I/P | IC 7410 | 1 |
| 8. | IC TRAINER KIT | - | 1 |
| 9. | PATCH CORD | - | 14 |

## THEORY:

Circuit that takes the logical decision and the process are called logic gates. Each gate has one or more input and only one output.

OR, AND and NOT are basic gates. NAND, NOR and X-OR are known as universal gates. Basic gates form these gates.

## AND GATE:

The AND gate performs a logical multiplication commonly known as AND function. The output is high when both the inputs are high. The output is low level when any one of the inputs is low.

## OR GATE:

The OR gate performs a logical addition commonly known as OR function. The output is high when any one of the inputs is high. The output is low level when both the inputs are low.

## NOT GATE:

The NOT gate is called an inverter. The output is high when the input is low. The output is low when the input is high.

## AND GATE:

The NAND gate is a contraction of AND-NOT. The output is high when both inputs are low and any one of the input is low. The output is low level when both inputs are high.

## NOR GATE:

The NOR gate is a contraction of OR-NOT. The output is high when both inputs are low. The output is low when one or both inputs are high.

## X-OR GATE:

The output is high when any one of the inputs is high. The output is low when both the inputs are low and both the inputs are high.

## PROCEDURE:

(i) Connections are given as per circuit diagram.
(ii) Logical inputs are given as per circuit diagram.
(iii) Observe the output and verify the truth table.

## AND GATE

## SYMBOL



TRUTH TABLE

| $A$ | $B$ | $A . B$ |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

PIN DIAGRAM


## OR GATE

PIN DIAGRAM :


## NOT GATE

SYMBOL
PIN DIAGRAM


TRUTH TABLE :

| $A$ | $\bar{A}$ |
| :---: | :---: |
| 0 | 1 |
| 1 | 0 |



## EX-OR GATE

## SYMBOL

PIN DIAGRAM


TRUTH TABLE :

| $\mathbf{A}$ | $\mathbf{B}$ | $\overline{\mathbf{A} B}+\mathbf{A B}$ |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |



## 2-INPUT NAND GATE

## SYMBOL

$A-\underset{7400}{A-J}) \quad Y=\overline{A \cdot B}$

TRUTH TABLE

| $A$ | $B$ | $\overline{A \cdot B}$ |
| :---: | :---: | :---: |
| 0 | 0 | 1 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

## 3-INPUT NAND GATE

SYMBOL :
$\underset{\mathrm{C}}{\mathrm{B}}=\underset{7410}{\mathrm{~A}=\overline{\mathrm{A} . \mathrm{B} . \mathrm{C}}}$

TRUTH TABLE

| A | B | C | $\overline{\mathrm{AB} \cdot \mathrm{C}}$ |
| :--- | :--- | :--- | :---: |
| 0 | 0 | 0 | 1 |
| 0 | 0 | 1 | 1 |
| 0 | 1 | 0 | 1 |
| 0 | 1 | 1 | 1 |
| 1 | 0 | 0 | 1 |
| 1 | 0 | 1 | 1 |
| 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 0 |

PIN DIAGRAM


PIN DIAGRAM:


## NOR GATE

## SYMBOL:



TRUTH TABLE

| $A$ | $B$ | $\overline{A+B}$ |
| :---: | :---: | :---: |
| 0 | 0 | 1 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

PIN DIAGRAM:


## Viva-voce

1. List out the basic gate.
2. Mention the universal gate.
3. What are the applications of gates?
4. Write the truth table of AND gate.
5. Write the truth table of OR gate.
6. Write the truth table of NOT gate.
7. Write the truth table of NAND gate.
8. Write the truth table of NOR gate.
9. Write the truth table of EX- OR gate.

## RESULT:

The logic gates are studied and its truth tables are verified.

## Ex.No.-1b VERIFICATION OF BOOLEAN THEOREMS USING DIGITAL LOGIC GATES

## AIM:

To verify the Boolean Theorems using logic gates.

## APPARATUS REQUIRED:

| SL. NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :---: | :---: | :---: |
| 1. | AND GATE | IC 7408 | 1 |
| 2. | OR GATE | IC 7432 | 1 |
| 3. | NOT GATE | IC 7404 | 1 |
| 4. | IC TRAINER KIT | - | 1 |
| 5. | CONNECTING WIRES | - | As per <br> required |

## THEORY:

## BASIC BOOLEAN LAWS

## 1. Commutative Law

The binary operator OR, AND is said to be commutative if,

1. $A+B=B+A$
2. $A \cdot B=B \cdot A$

## 2. Associative Law

The binary operator OR, AND is said to be associative if,

1. $A+(B+C)=(A+B)+C$
2. $\mathrm{A} \cdot(\mathrm{B} \cdot \mathrm{C})=(\mathrm{A} \cdot \mathrm{B}) \cdot \mathrm{C}$

## 3. Distributive Law

The binary operator OR, AND is said to be distributive if,

1. $\mathrm{A}+(\mathrm{B} \cdot \mathrm{C})=(\mathrm{A}+\mathrm{B}) \cdot(\mathrm{A}+\mathrm{C})$
2. $\mathrm{A} \cdot(\mathrm{B}+\mathrm{C})=(\mathrm{A} \cdot \mathrm{B})+(\mathrm{A} \cdot \mathrm{C})$

## 4. Absorption Law

1. $\mathrm{A}+\mathrm{AB}=\mathrm{A}$
2. $A+A B=A+B$

## 5. Involution (or) Double complement Law

1. $\mathrm{A}=\mathrm{A}$

## 6. Idempotent Law

1. $\mathrm{A}+\mathrm{A}=\mathrm{A}$
2. $\mathrm{A} \cdot \mathrm{A}=\mathrm{A}$

## 7. Complementary Law

1. $\mathrm{A}+\mathrm{A}^{\prime}=1$
2. $\mathrm{A} \cdot \mathrm{A}^{\prime}=0$

## 8. De Morgan's Theorem

1. The complement of the sum is equal to the sum of the product of the individual complements.

$$
(\mathrm{A}+\mathrm{B})^{\prime}=(\mathrm{A})^{\prime} .(\mathrm{B})^{\prime}
$$

2. The complement of the product is equal to the sum of the individual complements. (A.B)' $=(\mathrm{A})^{\prime}+(\mathrm{B})^{\prime}$

## Associative Laws of Boolean Algebra

$$
A+(B+C)=(A+B)+C
$$



$$
A \bullet(B \bullet C)=(A \bullet B) \bullet C
$$



Proof of the Associative Property for the OR operation: $(A+B)+C=A+(B+C)$

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{C}$ | $\mathbf{( A + B})$ | $\mathbf{( B + C})$ | $\mathbf{A}+\mathbf{B}+\mathbf{C})$ | $\mathbf{( A + B})+\mathbf{C}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 | 1 | 1 |
| 0 | 1 | 0 | $\mathbf{1}$ | 1 | 1 | 1 |
| 0 | 1 | 1 | $\mathbf{1}$ | 1 | 1 | 1 |
| 1 | 0 | 0 | $\mathbf{1}$ | 0 | 1 | 1 |
| 1 | 0 | 1 | $\mathbf{1}$ | 1 | 1 | 1 |
| 1 | 1 | 0 | $\mathbf{1}$ | 1 | 1 | 1 |
| 1 | 1 | 1 | $\mathbf{1}$ | 1 | 1 | 1 |

Proof of the Associative Property for the AND operation: $(A \cdot B) \cdot C=A \cdot(B \cdot C)$

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{C}$ | $\mathbf{( A \cdot B})$ | $\mathbf{( B} \cdot \mathbf{C})$ | $\mathbf{A} \cdot \mathbf{( B} \cdot \mathbf{C})$ | $\mathbf{( A \cdot B}) \cdot \mathbf{C}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 1 | 0 | 0 | 0 | 0 |
| 1 | 1 | 0 | 1 | 0 | 0 | 0 |
| 1 | 1 | 1 | 1 | 1 | 1 | 1 |

Distributive Laws of Boolean Algebra

$$
\begin{gathered}
A \cdot(B+C)=A \cdot B+A \cdot C \\
A(B+C)=A B+A C
\end{gathered}
$$



Proof of Distributive Rule

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{C}$ | $\mathbf{A} \cdot \mathbf{B}$ | $\mathbf{A} \cdot \mathbf{C}$ | $\mathbf{( A \cdot B})+\mathbf{( A \cdot C})$ | $\mathbf{( B + C )}$ | $\mathbf{A} \cdot(\mathbf{B}+\mathbf{C})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 |
| 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 |
| 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 1 | 0 | 1 | 1 | 1 | 1 |
| 1 | 1 | 0 | 1 | 0 | 1 | 1 | 1 |
| 1 | 1 | 1 | 1 | 1 | 1 | 1 | 1 |

Proof of Distributive Rule

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{C}$ | $\mathbf{A}+\mathbf{B}$ | $\mathbf{A}+\mathbf{C}$ | $(\mathbf{A}+\mathbf{B}) \cdot(\mathbf{A}+\mathbf{C})$ | $\mathbf{( B \cdot C})$ | $\mathbf{A}+\mathbf{( B} \cdot \mathbf{C})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 1 | 1 | 1 | 1 | 1 |
| 1 | 0 | 0 | 1 | 1 | 1 | 0 | 1 |
| 1 | 0 | 1 | 1 | 1 | 1 | 0 | 1 |
| 1 | 1 | 0 | 1 | 0 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 | 1 | 1 | 1 |

## Demorgan's Theorem

a) Proof of equation (1):

Construct the two circuits corresponding to the functions $\mathrm{A}^{\prime} . \mathrm{B}^{\prime}$ and $(\mathrm{A}+\mathrm{B})^{\prime}$ respectively. Show that for all combinations of A and B , the two circuits give identical results. Connect these circuits and verify their operations.

(a)

(b)

Proof (via Truth Table) of DeMorgan's Theorem $\quad \overline{A \cdot B}=\bar{A}+\bar{B}$

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{A} \cdot \mathbf{B}$ | $\overrightarrow{A \cdot B}$ | $\bar{A}$ | $\bar{B}$ | $\bar{A}+\bar{B}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 1 | 1 | 1 | 1 |
| 0 | 1 | 0 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 | 1 | 1 |
| 1 | 1 | 1 | 0 | 0 | 0 | 0 |

b) Proof of equation (2)

Construct two circuits corresponding to the functions $\mathrm{A}^{\prime}+\mathrm{B}^{\prime}$ and (A.B)' A.B, respectively. Show that, for all combinations of $A$ and $B$, the two circuits give identical results. Connect these circuits and verify their operations.

(a)

(b)

Proof (via Truth Table) of DeMorgan's Theorem $\quad \overline{A+B}=\bar{A} \cdot \bar{B}$

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{A}+\mathbf{B}$ | $\overline{A+B}$ | $\bar{A}$ | $\bar{B}$ | $\bar{A} \cdot \bar{B}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 1 | 1 | 1 | 1 |
| 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| 1 | 0 | 1 | 0 | 0 | 1 | 0 |
| 1 | 1 | 1 | 0 | 0 | 0 | 0 |

Commutative Laws of Boolean Algebra

$$
A+B=B+A
$$


$A \cdot B=B \cdot A$


## We will also use the following set of postulates:

P1: Boolean algebra is closed under the AND, OR, and NOT operations.
P2: The identity element with respect to $\bullet$ is one and + is zero. There is no identity element with respect to logical NOT.
P3: The $\cdot$ and + operators are commutative.
P4: • and + are distributive with respect to one another. That is, $\mathrm{A} \cdot(\mathrm{B}+\mathrm{C})=(\mathrm{A} \cdot \mathrm{B})+(\mathrm{A} \cdot \mathrm{C})$ and $\mathrm{A}+(\mathrm{B} \cdot \mathrm{C})=(\mathrm{A}+\mathrm{B}) \cdot(\mathrm{A}+\mathrm{C})$.
P5: For every value $A$ there exists a value $A^{\prime}$ such that $A \cdot A^{\prime}=0$ and $A+A^{\prime}=1$. This value is the logical complement (or NOT) of A.
P6: • and + are both associative. That is, $(A \cdot B) \cdot C=A \cdot(B \cdot C)$ and $(A+B)+C=A+(B+C)$. You can prove all other theorems in boolean algebra using these postulates.

## PROCEDURE:

1. Obtain the required IC along with the Digital trainer kit.
2. Connect zero volts to GND pin and +5 volts to Vcc.
3. Apply the inputs to the respective input pins.
4. Verify the output with the truth table.

## VIVA-VOCE

1. What is Demorgan's law?
2. What is associative law?
3.What is mean by compliment gate?
3. Explain the basic laws in digital electronics
4. What is double complement?
5. What is absorption law?

## RESULT:

Thus the above stated Boolean laws are verified.

## CODE CONVERTOR

## AIM:

To design and implement 4-bit
(i) Binary to gray code converter
(ii) Gray to binary code converter
(iii) BCD to excess-3 code converter
(iv) Excess-3 to BCD code converter

## APPARATUS REQUIRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :---: | :---: | :---: |
| 1. | X-OR GATE | IC 7486 | 1 |
| 2. | AND GATE | IC 7408 | 1 |
| 3. | OR GATE | IC 7432 | 1 |
| 4. | NOT GATE | IC 7404 | 1 |
| 5. | IC TRAINER KIT | - | 1 |
| 6. | PATCH CORDS | - | 35 |

## THEORY:

The availability of large variety of codes for the same discrete elements of information results in the use of different codes by different systems. A conversion circuit must be inserted between the two systems if each uses different codes for same information. Thus, code converter is a circuit that makes the two systems compatible even though each uses different binary code.

The bit combination assigned to binary code to gray code. Since each code uses four bits to represent a decimal digit. There are four inputs and four outputs. Gray code is a non-weighted code.

The input variable are designated as B3, B2, B1, B0 and the output variables are designated as $\mathrm{C} 3, \mathrm{C} 2, \mathrm{C} 1, \mathrm{Co}$. from the truth table, combinational circuit is designed. The Boolean functions are obtained from K-Map for each output variable.

A code converter is a circuit that makes the two systems compatible even though each uses a different binary code. To convert from binary code to Excess-3 code, the input lines must supply the bit combination of elements as specified by code and the output lines generate the corresponding bit combination of code. Each one of the four maps represents one of the four outputs of the circuit as a function of the four input variables.

A two-level logic diagram may be obtained directly from the Boolean expressions derived by the maps. These are various other possibilities for a logic diagram that implements this circuit. Now the OR gate whose output is $\mathrm{C}+\mathrm{D}$ has been used to implement partially each of three outputs.

## BINARY TO GRAY CODE CONVERTOR

## TRUTH TABLE:

| Binary Input |  |  |  |  | Gray Code Output |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| B3 | B2 | B1 | B0 | G3 | G2 | G1 | G0 |  |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 |  |
| 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 |  |
| 0 | 0 | 1 | 1 | 0 | 0 | 1 | 0 |  |
| 0 | 1 | 0 | 0 | 0 | 1 | 1 | 0 |  |
| 0 | 1 | 0 | 1 | 0 | 1 | 1 | 1 |  |
| 0 | 1 | 1 | 0 | 0 | 1 | 0 | 1 |  |
| 0 | 1 | 1 | 1 | 0 | 1 | 0 | 0 |  |
| 1 | 0 | 0 | 0 | 1 | 1 | 0 | 0 |  |
| 1 | 0 | 0 | 1 | 1 | 1 | 0 | 1 |  |
| 1 | 0 | 1 | 0 | 1 | 1 | 1 | 1 |  |
| 1 | 0 | 1 | 1 | 1 | 1 | 1 | 0 |  |
| 1 | 1 | 0 | 0 | 1 | 0 | 1 | 0 |  |
| 1 | 1 | 0 | 1 | 1 | 0 | 1 | 1 |  |
| 1 | 1 | 1 | 0 | 1 | 0 | 0 | 1 |  |
| 1 | 1 | 1 | 1 | 1 | 0 | 0 | 0 |  |

## K-Map for G3


$G_{3}=B_{3}$

## $\underline{\text { K-Map for } \mathbf{G}_{\mathbf{2}}}$



## $\underline{\text { K-Map for G1 }}$


$\mathrm{G} 1=\mathrm{B} 1 \oplus \mathrm{~B} 2$

## $\underline{\text { K-Map for G } \mathbf{0}}$


$\mathrm{G} 0=\mathrm{B} 1 \oplus \mathrm{~B} 0$

## LOGIC DIAGRAM:



## GRAY CODE TO BINARY CONVERTOR

TRUTH TABLE:

| GRAY CODE |  |  |  |  | BINARY CODE |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| G3 | G2 | G1 | G0 | B3 | $\mathbf{B 2}$ | B1 | B0 |  |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 |  |
| 0 | 0 | 1 | 1 | 0 | 0 | 1 | 0 |  |
| 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 |  |
| 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 |  |
| 0 | 1 | 1 | 1 | 0 | 1 | 0 | 1 |  |
| 0 | 1 | 0 | 1 | 0 | 1 | 1 | 0 |  |
| 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 |  |
| 1 | 1 | 0 | 0 | 1 | 0 | 0 | 0 |  |
| 1 | 1 | 0 | 1 | 1 | 0 | 0 | 1 |  |
| 1 | 1 | 1 | 1 | 1 | 0 | 1 | 0 |  |
| 1 | 1 | 1 | 0 | 1 | 0 | 1 | 1 |  |
| 1 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |  |
| 1 | 0 | 1 | 1 | 1 | 1 | 0 | 1 |  |
| 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 |  |
| 1 | 0 | 0 | 0 | 1 | 1 | 1 | 1 |  |

## K-Map for B3:


B3 = G3

## K-Map for B2:


$\mathrm{B} 2=\mathrm{G} 3(\mathrm{G} 2$

## K-Map for B1:



## K-Map for B0:



$$
\mathrm{B} 0=\mathrm{G} 3 \oplus \mathrm{G} 2 \oplus \mathrm{G} 1 \oplus \mathrm{G} 0
$$

## LOGIC DIAGRAM:



TRUTH TABLE:
| BCD input

BCD TO EXCESS-3 CONVERTOR
Excess - 3 output |
I

| B3 | B2 | B1 | B0 | G3 | G2 | G1 | G0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 |
| 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 |
| 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 |
| 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 |
| 0 | 1 | 0 | 1 | 1 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 | 1 | 0 | 0 | 1 |
| 0 | 1 | 1 | 1 | 1 | 0 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 |
| 1 | 0 | 0 | 1 | 1 | 1 | 0 | 0 |
| 1 | 0 | 1 | 0 | x | x | x | x |
| 1 | 0 | 1 | 1 | x | x | x | x |
| 1 | 1 | 0 | 0 | x | x | x | x |
| 1 | 1 | 0 | 1 | x | X | x | x |
| 1 | 1 | 1 | 0 | X | X | x | x |
| 1 | 1 | 1 | 1 | x | x | x | X |

## K-Map for E 3 :



$$
\mathbf{E} 3=\mathbf{B 3}+\mathbf{B} 2(\mathbf{B 0}+\mathbf{B} 1)
$$

## K-Map for $\mathrm{E}_{2}$ :



## K-Map for $\mathrm{E}_{1}$ :



$$
\mathrm{E} 1=\mathrm{B} 1 \stackrel{\bar{\oplus}}{\mathrm{\oplus}} \mathrm{~B} 0
$$

## K-Map for E $\mathbf{0}$ :

| B3B2 | 00 | 01 | 11 |  |
| :---: | :---: | :---: | :---: | :---: |
| 00 | 1 | 0 | 0 | 1 |
| 01 | 1 | 0 | 0 | 1 |
| 11 | x | x | x | x |
| 10 | 1 | 0 | x | $x$ |

$$
\mathrm{E} 0=\overline{\mathrm{B} 0}
$$

## EXCESS-3 TO BCD CONVERTOR

## TRUTH TABLE:

| Excess - 3 Input |  |  | BCD Output |  |  |  | \| |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| B3 | B2 | B1 | B0 | G3 | G2 | G1 | G0 |
| 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 |
| 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| 0 | 1 | 0 | 1 | 0 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 | 0 | 1 | 1 |
| 0 | 1 | 1 | 1 | 0 | 1 | 0 | 0 |
| 1 | 0 | 0 | 0 | 0 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 | 1 | 1 | 0 |
| 1 | 0 | 1 | 0 | 0 | 1 | 1 | 1 |
| 1 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 |

## LOGIC DIAGRAM:



## EXCESS-3 TO BCD CONVERTOR

## K-Map for A:



$$
\mathrm{A}=\mathrm{X} 1 \mathrm{X} 2+\mathrm{X} 3 \mathrm{X} 4 \mathrm{X} 1
$$

## K-Map for B:



$$
B=X 2 \oplus(\overline{X 3}+\overline{X 4})
$$

## K-Map for C:



$$
C=X 3 \oplus \times 4
$$

## K-Map for D:



$$
D=\overline{\mathrm{X} 4}
$$

## EXCESS-3 TO BCD CONVERTOR



## PROCEDURE:

(i) Connections were given as per circuit diagram.
(ii) Logical inputs were given as per truth table
(iii) Observe the logical output and verify with the truth tables.

## VIVA VOCE

1. What is binary code?
2. What is gray code?
3. What are the advantages of gray code?
4. What is unit distance code?
5. What is sequential code?
6. How to convert binary to gray code?
7. How to convert gray to binary code?
8. What is reflective code?
9. What are the advantages of $\mathrm{EX}-3$ code?
10. Which code is used to arithmetic operation in digital circuits?

## RESULT:

Thus the following 4-bit converters are designed and constructed.
(i) Binary to gray code converter
(ii) Gray to binary code converter
(iii) BCD to excess-3 code converter
(iv) Excess-3 to BCD code converter

## AIM:

To design and construct half adder, full adder, half subtractor and full subtractor circuits and verify the truth table using logic gates.

## APPARATUS REQUIRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :---: | :---: | :---: |
| 1. | AND GATE | IC 7408 | 1 |
| 2. | X-OR GATE | IC 7486 | 1 |
| 3. | NOT GATE | IC 7404 | 1 |
| 4. | OR GATE | IC 7432 | 1 |
| 5. | IC TRAINER KIT | - | 1 |
| 6. | PATCH CORDS | - | 23 |

## THEORY:

## HALF ADDER:

A half adder has two inputs for the two bits to be added and two outputs one from the sum ' $S$ ' and other from the carry ' $c$ ' into the higher adder position. Above circuit is called as a carry signal from the addition of the less significant bits sum from the X-OR Gate the carry out from the AND gate.

## FULL ADDER:

A full adder is a combinational circuit that forms the arithmetic sum of input; it consists of three inputs and two outputs. A full adder is useful to add three bits at a time but a half adder cannot do so. In full adder sum output will be taken from X-OR Gate, carry output will be taken from OR Gate.

## HALF SUBTRACTOR:

The half subtractor is constructed using X-OR and AND Gate. The half subtractor has two input and two outputs. The outputs are difference and borrow. The difference can be applied using X-OR Gate, borrow output can be implemented using an AND Gate and an inverter.

## FULL SUBTRACTOR:

The full subtractor is a combination of X-OR, AND, OR, NOT Gates. In a full subtractor the logic circuit should have three inputs and two outputs. The two half subtractor put together gives a full subtractor .The first half subtractor will be C and A B. The output will be difference output of full subtractor. The expression $A B$ assembles the borrow output of the half subtractor and the second term is the inverted difference output of first X-OR.

## HALF ADDER

TRUTH TABLE:

| A | B | CARRY | SUM |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
| 0 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 |
| 1 | 1 | 1 | 0 |

K-Map for SUM:
K-Map for CARRY:


$$
\mathbf{S U M}=\mathbf{A}^{\prime} \mathbf{B}+\mathbf{A B}
$$


$\mathbf{C A R R Y}=\mathbf{A B}$

## LOGIC DIAGRAM:



## FULL ADDER

## TRUTH TABLE:

| A | B | C | CARRY | SUM |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 |
| 0 | 1 | 0 | 0 | 1 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 1 | 1 | 0 |
| 1 | 1 | 0 | 1 | 0 |
| 1 | 1 | 1 | 1 | 1 |

K-Map for SUM


$$
\mathbf{S U M}=\mathbf{A}^{\prime} \mathbf{B}^{\prime} \mathbf{C}+\mathbf{A}^{\prime} \mathbf{B} \mathbf{C}^{\prime}+\mathbf{A B C} \mathbf{C}^{\prime}+\mathbf{A B C}
$$

## K-Map for CARRY


$\mathbf{C A R R Y}=\mathrm{AB}+\mathbf{B C}+\mathbf{A C}$

## LOGIC DIAGRAM:

## FULL ADDER USING TWO HALF ADDER



## HALF SUBTRACTOR

TRUTH TABLE:

| A | B | BORROW | DIFFERENCE |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
| 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 1 |
| 1 | 0 | 0 | 1 |
| 1 | 1 | 0 | 0 |

K-Map for DIFFERENCE


DIFFERENCE $=A^{\prime} \mathbf{B}+\mathbf{A B}{ }^{\prime}$

## K-Map for BORROW

$\mathbf{B O R R O W}=\mathbf{A}^{\prime} \mathbf{B}$


## LOGIC DIAGRAM



FULL SUBTRACTOR
TRUTH TABLE:

| A | B | C | BORROW | DIFFERENCE |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 1 |
| 0 | 1 | 0 | 1 | 1 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 1 | 0 | 0 |
| 1 | 1 | 0 | 0 | 0 |
| 1 | 1 | 1 | 1 | 1 |

## K-Map for Difference



$$
\text { Difference }=\mathbf{A}^{\prime} \mathbf{B}^{\prime} \mathbf{C}+\mathbf{A}^{\prime} \mathbf{B} \mathbf{C}^{\prime}+\mathbf{A} \mathbf{B}^{\prime} \mathbf{C}^{\prime}+\mathbf{A B C}
$$

K-Map for Borrow


$$
\text { Borrow }=\mathbf{A}^{\prime} \mathbf{B}+\mathbf{B C}+\mathbf{A}^{\prime} \mathbf{C}
$$

## LOGIC DIAGRAM:



FULL SUBTRACTOR USING TWO HALF SUBTRACTOR


## PROCEEDURE:

(i) Connections are given as per circuit diagram.
(ii) Logical inputs are given as per circuit diagram.
(iii) Observe the output and verify the truth table.

## VIVA VOCE

1. What is expression for difference and borrow?
2. Write the truth table for half adder
3. What is adder?
4. List out the application of adders.
5. What is combinational circuit?
6. What is different between combinational and sequential circuit?
7. What are the gates involved for binary adder?
8. List the properties of Ex-Nor gate?
9. What is expression for sum and carry?
10. Draw the full adder using two half adder circuits.

## RESULT:

Thus, the half adder, full adder, half subtractor and full subtractor circuits are designed, constructed and verified the truth table using logic gates.

## AIM:

To design and implement 4-bit adder and subtractor using basic gates and MSI device IC 7483.

## APPARATUS REQUIRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :---: | :---: | :---: |
| 1. | IC | IC 7483 | 1 |
| 2. | EX-OR GATE | IC 7486 | 1 |
| 3. | NOT GATE | IC 7404 | 1 |
| 3. | IC TRAINER KIT | - | 1 |
| 4. | PATCH CORDS | - | 40 |

## THEORY:

## 4 BIT BINARY ADDER:

A binary adder is a digital circuit that produces the arithmetic sum of two binary numbers. It can be constructed with full adders connected in cascade, with the output carry from each full adder connected to the input carry of next full adder in chain. The augends bits of ' A ' and the addend bits of ' B ' are designated by subscript numbers from right to left, with subscript 0 denoting the least significant bits. The carries are connected in chain through the full adder. The input carry to the adder is $\mathrm{C}_{0}$ and it ripples through the full adder to the output carry $\mathrm{C}_{4}$.

## 4 BIT BINARY SUBTRACTOR:

The circuit for subtracting A-B consists of an adder with inverters, placed between each data input ' B ' and the corresponding input of full adder. The input carry $\mathrm{C}_{0}$ must be equal to 1 when performing subtraction.

## 4 BIT BINARY ADDER/SUBTRACTOR:

The addition and subtraction operation can be combined into one circuit with one common binary adder. The mode input M controls the operation. When $\mathrm{M}=0$, the circuit is adder circuit. When $\mathrm{M}=1$, it becomes subtractor.

## 4 BIT BCD ADDER:

Consider the arithmetic addition of two decimal digits in BCD, together with an input carry from a previous stage. Since each input digit does not exceed 9 , the output sum cannot be greater than 19 , the 1 in the sum being an input carry. The output of two decimal digits must be represented in BCD and should appear in the form listed in the columns.

ABCD adder that adds 2 BCD digits and produce a sum digit in BCD . The 2 decimal digits, together with the input carry, are first added in the top 4 bit adder to produce the binary sum.

PIN DIAGRAM FOR IC 7483:


## 4-BIT BINARY ADDER

## LOGIC DIAGRAM:



## 4-BIT BINARY SUBTRACTOR

## LOGIC DIAGRAM:



## 4-BIT BINARY ADDER/SUBTRACTOR

## LOGIC DIAGRAM:



## TRUTH TABLE:

| Input Data A |  |  |  | Input Data B |  |  |  |  | Addition |  |  |  |  | Subtraction |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A4 | A3 | A2 | A1 | B4 | B3 | B2 | B1 | C | S4 | S3 | S2 | S1 | B | D4 | D3 | D2 | D1 |
| 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 0 | 1 | 0 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 0 |
| 0 | 0 | 0 | 1 | 0 | 1 | 1 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 1 | 0 | 1 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 |
| 1 | 1 | 1 | 0 | 1 | 1 | 1 | 1 | 1 | 1 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 |
| 1 | 0 | 1 | 0 | 1 | 1 | 0 | 1 | 1 | 0 | 1 | 1 | 1 | 0 | 1 | 1 | 0 | 1 |

## PROCEDURE:

(i) Connections were given as per circuit diagram.
(ii) Logical inputs were given as per truth table
(iii) Observe the logical output and verify with the truth tables.

## VIVA VOCE

1. What is adder?
2. List out the application of adders.
3. Draw the full adder using two half adder circuits.
4. What is combinational circuit?
5. What is different between combinational and sequential circuit?
6. What are the gates involved for binary adder?
7. List the properties of Ex-Nor gate?
8. What is expression for sum and carry?
9. What do you understand by parallel adder?

## RESULT:

Thus the 4-bit adder and subtractor using basic gates and MSI device IC 7483 is designed and implemented.

## AIM:

To design and verify the truth table of a three bit Odd Parity generator and checker.

## APPARATUS REQUIRED:

| SL. NO. | NAME OF THE APPARATUS | RANGE | QUANTITY |
| :---: | :--- | :---: | :---: |
| 1. | Digital IC trainer kit |  | 1 |
| 2. | EX-OR gate | IC 7486 |  |
| 3. | NOT gate | IC 7404 |  |
| 4. | Connecting wires |  | As required |

## THEORY:

A parity bit is used for the purpose of detecting errors during transmission of binary information. A parity bit is an extra bit included with a binary message to make the number of 1 's either odd or even. The message including the parity bit is transmitted and then checked at the receiving end for errors. An error is detected if the checked parity does not correspond with the one transmitted. The circuit that generates the parity bit in the transmitter is called a parity generator and the circuit that checks the parity in the receiver is called a parity checker.

In even parity the added parity bit will make the total number of 1 's an even amount and in odd parity the added parity bit will make the total number of 1 's an odd amount.

In a three bit odd parity generator the three bits in the message together with the parity bit are transmitted to their destination, where they are applied to the parity checker circuit. The parity checker circuit checks for possible errors in the transmission.

Since the information was transmitted with odd parity the four bits received must have an odd number of 1's. An error occurs during the transmission if the four bits received have an even number of 1 's, indicating that one bit has changed during transmission. The output of the parity checker is denoted by PEC (parity error check) and it will be equal to 1 if an error occurs, i.e., if the four bits received has an even number of 1's.

## ODD PARITY GENERATOR

## TRUTH TABLE:

| SL.NO. | INPUT |  |  | OUTPUT |
| :---: | :---: | :---: | :---: | :---: |
|  | Three bit message) |  |  | ( Odd Parity bit) |
|  | A | B | C | P |
| 1. | 0 | 0 | 0 | 1 |
| 2. | 0 | 0 | 1 | 0 |
| 3. | 0 | 1 | 0 | 0 |
| 4. | 0 | 1 | 1 | 1 |
| 5. | 1 | 0 | 0 | 0 |
| 6. | 1 | 0 | 1 | 1 |
| 7. | 1 | 1 | 0 | 1 |
| 8. | 1 | 1 | 1 | 0 |

From the truth table the expression for the output parity bit is,

$$
\mathrm{P}(\mathrm{~A}, \mathrm{~B}, \mathrm{C})=\Sigma(0,3,5,6)
$$

Also written as,

$$
\mathrm{P}=\mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}+\mathrm{A}^{\prime} \mathrm{BC}+\mathrm{AB}^{\prime} \mathrm{C}+\mathrm{ABC}^{\prime}=(\mathrm{A} \oplus \mathrm{~B} \oplus \mathrm{C})^{\prime}
$$

## ODD PARITY GENERATOR

## CIRCUIT DIAGRAM:



## ODD PARITY CHECKER

## CIRCUIT DIAGRAM:



## ODD PARITY CHECKER

## TRUTH TABLE:

| SL.NO. | INPUT |  |  |  | OUTPUT |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (4 Bit Message Received ) | (Parity Error Check) |  |  |  |  |
|  | $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{C}$ | $\mathbf{P}$ | $\mathbf{X}$ |  |
| 1. | 0 | 0 | 0 | 0 | 1 |  |
| 2. | 0 | 0 | 0 | 1 | 0 |  |
| 3. | 0 | 0 | 1 | 0 | 0 |  |
| 4. | 0 | 0 | 1 | 1 | 1 |  |
| 5. | 0 | 1 | 0 | 0 | 0 |  |
| 6. | 0 | 1 | 0 | 1 | 1 |  |
| 7. | 0 | 1 | 1 | 0 | 1 |  |
| 8. | 0 | 1 | 1 | 1 | 0 |  |
| 9. | 1 | 0 | 0 | 0 | 0 |  |
| 10. | 1 | 0 | 0 | 1 | 1 |  |
| 11. | 1 | 0 | 1 | 0 | 1 |  |
| 12. | 1 | 0 | 1 | 1 | 0 |  |
| 13. | 1 | 1 | 0 | 0 | 1 |  |
| 14. | 1 | 1 | 0 | 1 | 0 |  |
| 15. | 1 | 1 | 1 | 0 | 0 |  |
| 16. | 1 | 1 | 1 | 1 | 1 |  |

From the truth table the expression for the output parity checker bit is,

$$
\mathrm{X}(\mathrm{~A}, \mathrm{~B}, \mathrm{C}, \mathrm{P})=\Sigma(0,3,5,6,9,10,12,15)
$$

The above expression is reduced as,

$$
\mathrm{X}=(\mathrm{A} \oplus \mathrm{~B} \oplus \mathrm{C} \oplus \mathrm{P})
$$

## PROCEDURE:

1. Connections are given as per the circuit diagrams.
2. For all the ICs $7^{\text {th }}$ pin is grounded and $14^{\text {th }}$ pin is given +5 V supply.
3. Apply the inputs and verify the truth table for the Parity generator and checker.

PIN DIAGRAM FOR IC 74180:


## FUNCTION TABLE:

| INPUTS |  |  | OUTPUTS |  |
| :---: | :---: | :---: | :---: | :---: |
| Number of High Data <br> Inputs (I0 - I7) | $\mathbf{P E}$ | $\mathbf{P O}$ | $\sum \mathbf{E}$ | $\sum \mathbf{O}$ |
| EVEN | 1 | 0 | 1 | 0 |
| ODD | 1 | 0 | 0 | 1 |
| EVEN | 0 | 1 | 0 | 1 |
| ODD | 0 | 1 | 1 | 0 |
| $\mathbf{X}$ | 1 | 1 | 0 | 0 |
| $\mathbf{X}$ | 0 | 0 | 1 | 1 |

## 16 BIT ODD/EVEN PARITY GENERATOR

## LOGIC DIAGRAM:



TRUTH TABLE:

| I7 I6 15 I4 I3 I2 I1 I0 | I7 I6 I5 I4 I3 I2 I1 I0 | Active | $\sum \mathbf{E}$ | $\Sigma \mathrm{O}$ |
| :---: | :---: | :---: | :---: | :---: |
| 110000000000 | 11000000000 | 1 | 1 | 0 |
| $\begin{array}{llllllll}1 & 1 & 0 & 0 & 0 & 0 & 0 & 0\end{array}$ | 11000000000 | 0 | 0 | 1 |
| $\begin{array}{llllllll}1 & 1 & 0 & 0 & 0 & 0 & 0 & 0\end{array}$ | $\begin{array}{lllllll}01 & 0 & 0 & 0 & 0 & 0\end{array}$ | 0 | 1 | 0 |

## 16 BIT ODD/EVEN PARITY CHECKER

## LOGIC DIAGRAM



## TRUTH TABLE:

| I7 I6 I5 I4 I3 I2 I1 I0 | I7'I6'I5'I4'I3'I2'11' 10 ' | Active | $\sum \mathbf{E}$ | $\Sigma 0$ |
| :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{llllllll}00 & 0 & 0 & 0 & 0 & 0 & 1\end{array}$ | $\begin{array}{lllllll}00 & 0 & 0 & 0 & 0 & 00\end{array}$ | 1 | 1 | 0 |
| $\begin{array}{lllllllll}0 & 0 & 0 & 0 & 0 & 1 & 1 & 0\end{array}$ | $\begin{array}{lllllll}00 & 0 & 0 & 0 & 1 & 10\end{array}$ | 0 | 1 | 0 |
| $\begin{array}{lllllllll}0 & 0 & 0 & 0 & 0 & 1 & 1 & 0\end{array}$ | $\begin{array}{lllllll}0 & 0 & 0 & 0 & 1 & 10\end{array}$ | 1 | 0 | 1 |

## VIVA VOCE

1. What is parity bit?
2. Why parity bit is added to message?
3. What is parity checker?
4. What is odd parity?
5. What is even parity?
6. What are the gates involved for parity generator?
7. List the procedures to convert gray code into binary.
8. Why weighted code is called as reflective codes?

## RESULT:

Thus the three bit and 16 bit odd Parity generator and checker circuits were designed, implemented and their truth tables were verified.

## AIM:

To design and implement the magnitude comparator using MSI device.

## APPARATUS REQUIRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :--- | :---: | :---: |
| 1. | AND GATE | IC 7408 | 2 |
| 2. | X-OR GATE | IC 7486 | 1 |
| 3. | OR GATE | IC 7432 | 1 |
| 4. | NOT GATE | IC 7404 | 1 |
| 5. | 4-BIT MAGNITUDE COMPARATOR | IC 7485 | 2 |
| 6. | IC TRAINER KIT | - | 1 |
| 7. | PATCH CORDS | - | 30 |

## THEORY:

The comparison of two numbers is an operator that determines one number is greater than, less than (or) equal to the other number. A magnitude comparator is a combinational circuit that compares two numbers A and B and determines their relative magnitude. The outcome of the comparator is specified by three binary variables that indicate whether $\mathrm{A}>\mathrm{B}, \mathrm{A}=\mathrm{B}$ (or) $\mathrm{A}<\mathrm{B}$.

$$
\begin{aligned}
& \mathrm{A}=\mathrm{A}_{3} \mathrm{~A}_{2} \mathrm{~A}_{1} \mathrm{~A}_{0} \\
& \mathrm{~B}=\mathrm{B}_{3} \mathrm{~B}_{2} \mathrm{~B}_{1} \mathrm{~B}_{0}
\end{aligned}
$$

The equality of the two numbers and $B$ is displayed in a combinational circuit designated by the symbol $(A=B)$.

This indicates A greater than B, then inspect the relative magnitude of pairs of significant digits starting from most significant position. A is 0 and that of B is 0 .

We have $\mathrm{A}<\mathrm{B}$, the sequential comparison can be expanded as

$$
\begin{aligned}
& \mathrm{A}>\mathrm{B}=\mathrm{A} 3 \mathrm{~B}^{1}+\mathrm{XAB}^{1}+\mathrm{XXAB}^{1}+\mathrm{XXXAB}^{1}
\end{aligned}
$$

The same circuit can be used to compare the relative magnitude of two BCD digits. Where, $\mathrm{A}=\mathrm{B}$ is expanded as,

$$
\begin{array}{cccc}
\mathrm{A}=\mathrm{B}=\left(\mathrm{A}_{3}+\mathrm{B}_{3}\right) & \left(\mathrm{A}_{2}+\mathrm{B}_{2}\right) & \left(\mathrm{A}_{1}+\mathrm{B}_{1}\right) & \left(\mathrm{A}_{0}+\mathrm{B}_{0}\right) \\
\downarrow & \downarrow & \downarrow \\
\mathrm{x} 3 & \mathrm{X} 2 & \mathrm{x} 1 & \mathrm{x} 0
\end{array}
$$

## PIN DIAGRAM FOR IC 7485:



## 8-BIT MAGNITUDE COMPARATOR

## LOGIC DIAGRAM:



TRUTH TABLE:

| A |  | B |  | A>B | $\mathbf{A}=\mathbf{B}$ | $\mathbf{A}<\mathbf{B}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0000 | 0000 | 0000 | 0000 | 0 | 1 | 0 |
| 0001 | 0001 | 0000 | 0000 | 1 | 0 | 0 |
| 0000 | 0000 | 0001 | 0001 | 0 | 0 | 1 |

## PROCEDURE:

(i) Connections are given as per circuit diagram.
(ii) Logical inputs are given as per circuit diagram.
(iii) Observe the output and verify the truth table.

## VIVO VOCE

1. What is magnitude comparator?
2. What is most significant bit?
3. Explain the k -map simplification of $\mathrm{A}>\mathrm{B}$.
4. Explain the k -map simplification of $\mathrm{A}=\mathrm{B}$.
5. Explain the k-map simplification of $\mathrm{A}<\mathrm{B}$
6. Draw the logic diagram of 1-bit magnitude comparator.
7. What is the truth table of 1-bit magnitude comparator?
8. What is the use of magnitude comparator?
9. What is least significant bit?

## RESULT:

Thus the magnitude comparator using MSI device is designed and implemented.

## Ex.No.-4d

## AIM:

To design and implement the Multiplexer and Demultiplexer using logic gates and study of IC 74150 and IC 74154.

## APPARATUS REQUIRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :---: | :---: | :---: |
| 1. | 3 I/P AND GATE | IC 7411 | 2 |
| 2. | OR GATE | IC 7432 | 1 |
| 3. | NOT GATE | IC 7404 | 1 |
| 2. | IC TRAINER KIT | - | 1 |
| 3. | PATCH CORDS | - | 32 |

## THEORY:

## MULTIPLEXER:

Multiplexer means transmitting a large number of information units over a smaller number of channels or lines. A digital multiplexer is a combinational circuit that selects binary information from one of many input lines and directs it to a single output line. The selection of a particular input line is controlled by a set of selection lines. Normally there are $2^{\mathrm{n}}$ input line and n selection lines whose bit combination determine which input is Selected.

## DEMULTIPLEXER:

The function of Demultiplexer is in contrast to multiplexer function. It takes information from one line and distributes it to a given number of output lines. For this reason, the Demultiplexer is also known as a data distributor. Decoder can also be used as Demultiplexer.

In the 1: 4 Demultiplexer circuit, the data input line goes to all of the AND gates. The data select lines enable only one gate at a time and the data on the data input line will pass through the selected gate to the associated data output line.

## 4:1 MULTIPLEXER

## BLOCK DIAGRAM FOR 4:1 MULTIPLEXER:



FUNCTION TABLE:

| S1 | S0 | INPUTS Y |
| :---: | :---: | :---: |
| 0 | 0 | D0 $\rightarrow$ D0 S1 ${ }^{\prime}$ S0 ${ }^{\prime}$ |
| 0 | 1 | D1 $\rightarrow$ D1 S1 ${ }^{\prime}$ 0 |
| 1 | 0 | D2 $\rightarrow$ D2 S1 S0 |
| 1 | 1 | D3 $\rightarrow$ D3 S1 S0 |

Y = D0 S1' S0' + D1 S1' S0 + D2 S1 S0' + D3 S1 S0

## TRUTH TABLE:

| S1 | S0 | Y = OUTPUT |
| :---: | :---: | :---: |
| 0 | 0 | D0 |
| 0 | 1 | D1 |
| 1 | 0 | D2 |
| 1 | 1 | D3 |

CIRCUIT DIAGRAM FOR MULTIPLEXER:


## 1:4 DEMULTIPLEXER

BLOCK DIAGRAM FOR 1:4 DEMULTIPLEXER:


## FUNCTION TABLE:

| S1 | S0 | INPUT |
| :---: | :---: | :---: |
| 0 | 0 | $\mathrm{X} \rightarrow \mathrm{D} 0=\mathrm{X} \mathrm{S} 1^{\prime} \mathrm{S} 0^{\prime}$ |
| 0 | 1 | $\mathrm{X} \rightarrow \mathrm{D} 1=\mathrm{X}$ S $1^{\prime} \mathrm{S} 0$ |
| 1 | 0 | $\mathrm{X} \rightarrow \mathrm{D} 2=\mathrm{X}$ S $\mathrm{S}^{\prime}{ }^{\prime}$ |
| 1 | 1 | $\mathrm{X} \rightarrow \mathrm{D} 3=\mathrm{X}$ S 1 S 0 |

$$
\mathbf{Y}=\mathbf{X} \mathbf{S} 1^{\prime} \mathbf{S} 0^{\prime}+\mathbf{X} \mathbf{S} 1^{\prime} \mathbf{S} 0+\mathbf{X} \mathbf{S} 1 \mathbf{S} 0^{\prime}+\mathbf{X} \mathbf{S} 1 \mathbf{S} 0
$$

TRUTH TABLE:

| INPUT |  |  | OUTPUT |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| S1 | S0 | I/P | D0 | D1 | D2 | D3 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 0 | 0 | 0 |
| 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 1 | 0 | 0 | 1 | 0 |
| 1 | 1 | 0 | 0 | 0 | 0 | 0 |
| 1 | 1 | 1 | 0 | 0 | 0 | 1 |

LOGIC DIAGRAM FOR DEMULTIPLEXER:


## PIN DIAGRAM FOR IC 74150:



## PIN DIAGRAM FOR IC 74154:

| QO | - 1 |  | 24 | VCC |
| :---: | :---: | :---: | :---: | :---: |
| Q1 | - 2 | I | 23 | A |
| Q2 | $-3$ |  | 22 | B |
| Q3 | - 4 |  | 21 | C |
| Q4 | - 5 | 7 | 20 | D |
| Q5 | -6 |  | 19 | FE2 |
| Q6 | - 7 | 4 | 18 | FE1 |
| Q7 | 8 | 1 | 17 | Q15 |
| Q8 | 9 |  | 16 | Q14 |
| Q9 | -10 | 5 | 15 | Q13 |
| Q10 | - 11 | 4 | 14 | Q12 |
| GND | - 12 |  | 13 | Q11 |

## PROCEDURE:

(i) Connections are given as per circuit diagram.
(ii) Logical inputs are given as per circuit diagram.
(iii) Observe the output and verify the truth table.

## VIVA VOCE

1. What is de multiplexer?
2. What is the main difference between decoder and De multiplexer?
3. What do you understand by decoder?
4. What do you understand by encoder?
5. What is the main difference between encoder and multiplexer?
6. Why is MUX called as "Data Selector"?
7. What is Digital Multiplexer?
8. Differentiate between functions of MUX \& D'MUX?

## RESULT:

Thus the multiplexer and Demultiplexer using logic gates are designed and implemented.

## AIM:

To design and implement the following shift registers
(i) Serial in serial out
(ii) Serial in parallel out
(iii) Parallel in serial out
(iv) Parallel in parallel out

## APPARATUS REQUIRED:

| SL.NO. | COMPONENT | SPECIFICATION | QTY. |
| :---: | :---: | :---: | :---: |
| 1. | D FLIP FLOP | IC 7474 | 2 |
| 2. | OR GATE | IC 7432 | 1 |
| 3. | IC TRAINER KIT | - | 1 |
| 4. | PATCH CORDS | - | 35 |

## THEORY:

A register is capable of shifting its binary information in one or both directions is known as shift register. The logical configuration of shift register consist of a D-Flip flop cascaded with output of one flip flop connected to input of next flip flop. All flip flops receive common clock pulses which causes the shift in the output of the flip flop. The simplest possible shift register is one that uses only flip flop. The output of a given flip flop is connected to the input of next flip flop of the register. Each clock pulse shifts the content of register one bit position to right.

## PIN DIAGRAM OF IC 7474:

| CLRO | -1 | 1 | 14 | VCC |
| :---: | :---: | :---: | :---: | :---: |
| Do | -2 | c | 13 | CLR1 |
| CLKO | $-3$ | 7 | 12 | D1 |
| PREO | -4 | 4 | 11 | CLK1 |
| so | - 5 | 7 | 10 | PRE1 |
| $\overline{\text { so }}$ | -6 | 4 | 9 | Q1 |
| GND | -7 |  | 8 | Q1 |

## SERIAL IN SERIAL OUT

## LOGIC DIAGRAM:



## TRUTH TABLE:

| CLK | Serial In | Serial Out |
| :---: | :---: | :---: |
| 1 | 1 | 0 |
| 2 | 0 | 0 |
| 3 | 0 | 0 |
| 4 | 1 | 1 |
| 5 | X | 0 |
| 6 | X | 0 |
| 7 | X | 1 |

## SERIAL IN PARALLEL OUT

## LOGIC DIAGRAM:



TRUTH TABLE:

| CLK | DATA | OUTPUT $^{\prime}$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\mathbf{Q}_{\text {A }}$ | $\mathbf{Q}_{\text {B }}$ | $\mathbf{Q}_{\mathbf{C}}$ | $\mathbf{Q}_{\text {D }}$ |
| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| $\mathbf{2}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| $\mathbf{3}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{1}$ |
| $\mathbf{4}$ | $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{1}$ |

## PARALLEL IN SERIAL OUT

LOGIC DIAGRAM:


TRUTH TABLE:

| CLK | Q3 | Q2 | Q1 | Q0 | O/P |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 1 | 0 | 0 | 1 | 1 |
| 1 | 0 | 0 | 0 | 0 | 0 |
| 2 | 0 | 0 | 0 | 0 | 0 |
| 3 | 0 | 0 | 0 | 0 | 1 |

## PARALLEL IN PARALLEL OUT

## LOGIC DIAGRAM:



TRUTH TABLE:

| CLK | DATA INPUT |  |  |  | OUTPUT |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\mathbf{D}_{\mathbf{A}}$ | $\mathbf{D}_{\mathbf{B}}$ | $\mathbf{D}_{\mathbf{C}}$ | $\mathbf{D}_{\mathbf{D}}$ | $\mathbf{Q}_{\mathbf{A}}$ | $\mathbf{Q B}_{\mathbf{B}}$ | $\mathbf{Q}_{\mathbf{C}}$ | $\mathbf{Q}_{\mathbf{D}}$ |
| 1 | 1 | 0 | 0 | 1 | 1 | 0 | 0 | 1 |
| 2 | 1 | 0 | 1 | 0 | 1 | 0 | 1 | 0 |

## PROCEDURE:

(i) Connections are given as per circuit diagram.
(ii) Logical inputs are given as per circuit diagram.
(iii) Observe the output and verify the truth table.

## VIVA VOCE

1. What is meant by shift Registers.
2. What are the types of shift Registers.
3. What is meant by parallel and series shifting?
4. What is the procedure for series shifting
5. What is the procedure for parallel shifting

## RESULT:

The Serial in serial out, Serial in parallel out, Parallel in serial out and Parallel in parallel out shift registers are designed and implemented.

## AIM:

To design and implement Synchronous and Asynchronous counter.

## APPARATUS REQUIRED:

| S.NO. | NAME OF THE APPARATUS | RANGE | QUANTITY |
| :---: | :---: | :---: | :---: |
| 1. | Digital IC trainer kit |  | 1 |
| 2. | JK Flip Flop | IC 7476 | 2 |
| 3. | D Flip Flop | IC 7473 | 1 |
| 4. | NAND gate | IC 7400 | 1 |
| 5. | Connecting wires |  | As required |

## THEORY:

Asynchronous decade counter is also called as ripple counter. In a ripple counter the flip flop output transition serves as a source for triggering other flip flops. In other words the clock pulse inputs of all the flip flops are triggered not by the incoming pulses but rather by the transition that occurs in other flip flops. The term asynchronous refers to the events that do not occur at the same time. With respect to the counter operation, asynchronous means that the flip flop within the counter are not made to change states at exactly the same time, they do not because the clock pulses are not connected directly to the clock input of each flip flop in the counter.

A counter is a register capable of counting number of clock pulse arriving at its clock input. Counter represents the number of clock pulses arrived. A specified sequence of states appears as counter output. This is the main difference between a register and a counter. There are two types of counter, synchronous and asynchronous. In synchronous common clock is given to all flip flop and in asynchronous first flip flop is clocked by external pulse and then each successive flip flop is clocked by Q or Q output of previous stage. A soon the clock of second stage is triggered by output of first stage. Because of inherent propagation delay time all flip flops are not activated at same time which results in asynchronous operation.

## PIN DIAGRAM FOR IC 7476:

\[

\]

## CIRCUIT DIAGRAM:



TRUTH TABLE:

| CLK | QA | QB | QC | QD |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 |
| 1 | 1 | 0 | 0 | 0 |
| 2 | 0 | 1 | 0 | 0 |
| 3 | 1 | 1 | 0 | 0 |
| 4 | 0 | 0 | 1 | 0 |
| 5 | 1 | 0 | 1 | 0 |
| 6 | 0 | 1 | 1 | 0 |
| 7 | 1 | 1 | 1 | 0 |
| 8 | 0 | 0 | 0 | 1 |
| 9 | 1 | 0 | 0 | 1 |
| 10 | 0 | 1 | 0 | 1 |
| 11 | 1 | 1 | 0 | 1 |
| 12 | 0 | 0 | 1 | 1 |
| 13 | 1 | 0 | 1 | 1 |
| 14 | 0 | 1 | 1 | 1 |
| 15 | 1 | 1 | 1 | 1 |

## LOGIC DIAGRAM FOR MOD - 10 RIPPLE COUNTER:



## TRUTH TABLE:

| CLK | QD | QC | QB | QA |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 2 | 0 | 0 | 1 | 0 |
| 3 | 0 | 0 | 1 | 1 |
| 4 | 0 | 1 | 0 | 0 |
| 5 | 0 | 1 | 0 | 1 |
| 6 | 0 | 1 | 1 | 0 |
| 7 | 0 | 1 | 1 | 1 |
| 8 | 1 | 0 | 0 | 0 |
| 9 | 1 | 0 | 0 | 1 |
| 10 | 0 | 0 | 0 | 0 |

## PIN DIAGRAM:

## SYNCHRONOUS COUNTER

## LOGIC DIAGRAM:



TRUTH TABLE:

| CLK | DATA | OUTPUT |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\mathbf{Q D}_{\mathbf{D}}$ | $\mathbf{Q C}_{\mathbf{C}}$ | $\mathbf{Q}_{\mathbf{B}}$ | $\mathbf{Q}_{\mathbf{A}}$ |
| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{1}$ |
| $\mathbf{2}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{0}$ |
| $\mathbf{3}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{1}$ |
| $\mathbf{4}$ | $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ |

## PROCEDURE:

(i) Connections are given as per circuit diagram.
(ii) Logical inputs are given as per circuit diagram.
(iii) Observe the output and verify the truth table.

## MOD - 10 RIPPLES OR SYNCHRONOUS COUNTER

## LOGIC DIAGRAM



TRUTH TABLE:

| clk | QA | QB | QC | QD |
| :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 2 | 0 | 0 | 1 | 0 |
| 3 | 0 | 0 | 1 | 1 |
| 4 | 0 | 1 | 0 | 0 |
| 5 | 0 | 1 | 0 | 1 |
| 6 | 0 | 1 | 1 | 0 |
| 7 | 0 | 1 | 1 | 1 |
| 8 | 1 | 0 | 0 | 0 |
| 9 | 1 | 0 | 0 | 1 |
| 10 | 0 | 0 | 0 | 0 |

DESIGN AND IMPLEMENTATION OF 3 BIT SYNCHRONOUS UP/DOWN COUNTER

## APPARATUS REQUIRED:

| S.NO. | NAME OF THE APPARATUS | RANGE | QUANTITY |
| :---: | :---: | :---: | :---: |
| 1. | Digital IC trainer kit |  | 1 |
| 2. | JK Flip Flop | IC 7476 | 2 |


|  |  |  |  |
| :---: | :---: | :---: | :---: |
| 3. | D Flip Flop | IC 7473 | 1 |
| 4. | AND gate | IC 7411 | 1 |
|  | OR GATE | IC 7432 | 1 |
|  | XOR GATE | IC 7486 | 1 |
|  | NOT GATE | IC 7404 | 1 |
| 5. | Connecting wires |  | As required |

K- MAP

| QB QC |
| :--- |
| UD QA |
|  |
|  |
| 1 |$|$| $x$ | $x$ | $x$ | $x$ |
| :---: | :---: | :---: | :---: |
| $x$ | $x$ | $x$ | $x$ |
| 0 | 0 | 1 | 0 |

$J A=\overline{U D} \overline{Q B} \overline{Q C}+U D$ QB QC

| QB QC |  |  |  |
| :---: | :---: | :---: | :---: |
| UD QA |  |  |  |
| x | X | X | X |
| 1 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 |
| X | X | X | X |

$K A=\overline{U D} \overline{Q B} \overline{Q C}+U D Q B Q C$

QB QC UD QA

| 1 | $x$ | $x$ | 1 |
| :---: | :---: | :---: | :---: |
| 1 | $x$ | $x$ | 1 |
| 1 | $x$ | $x$ | 1 |
| 1 | $x$ | $x$ | 1 |

$J C=1$

QB QC
UD QA

| 1 | 0 | $x$ | $x$ |
| :---: | :---: | :---: | :---: |
| 1 | 0 | $x$ | $x$ |
| 0 | 1 | $x$ | $x$ |
| 0 | 1 | $x$ | $x$ |

$J B=\overline{U D \oplus Q C}$ STATE DIAGRAM
$Q B Q C$
UD QC

| $x$ | $x$ | 0 | 1 |
| :---: | :---: | :---: | :---: |
| $x$ | $x$ | 0 | 1 |
| $x$ | $x$ | 1 | 0 |
| $x$ | $x$ | 1 | 0 |

$K B=(\overline{U D} \oplus) \mathrm{QC})$

QB QC

| X | 1 | 1 | X |
| :---: | :---: | :---: | :---: |
| X | 1 | 1 | X |
| X | 1 | 1 | X |
| X | 1 | 1 | X |

$K C=1$


## LOGIC DIAGRAM

(Up/D $\overline{o w n})$


## TRUTH TABLE

| Input Up/Down | Present State $\mathrm{Q}_{\mathrm{A}} \mathrm{Q}_{\mathrm{B}} \mathrm{Q}_{\mathrm{C}}$ |  |  | $\begin{gathered} \text { Next State } \\ \mathrm{Q}_{\mathrm{A}+1} \mathrm{Q}_{\mathrm{B}+1} \mathrm{Q}_{\mathrm{C}+1} \end{gathered}$ |  |  | A |  | B |  | C |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | $\mathrm{J}_{\mathrm{A}}$ | $\mathbf{K}_{\mathbf{A}}$ | $\mathrm{J}_{\mathrm{B}}$ | $\mathrm{K}_{\mathrm{B}}$ | Jc | Kc |
| 0 | 0 | 0 | 0 |  |  |  | 1 | 1 | 1 | 1 | X | 1 | X | 1 | X |
| 0 | 1 | 1 | 1 | 1 | 1 | 0 | X | 0 | X | 0 | X | 1 |
| 0 | 1 | 1 | 0 | 1 | 0 | 1 | X | 0 | X | 1 | 1 | X |
| 0 | 1 | 0 | 1 | 1 | 0 | 0 | X | 0 | 0 | X | X | 1 |
| 0 | 1 | 0 | 0 | 0 | 1 | 1 | X | 1 | 1 | X | 1 | X |
| 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 | X | X | 0 | X | 1 |
| 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | X | X | 1 | 1 | X |
| 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | X | 0 | X | X | 1 |
| 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | X | 0 | X | 1 | X |
| 1 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | X | 1 | X | X | 1 |
| 1 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | X | X | 0 | 1 | X |
| 1 | 0 | 1 | 1 | 1 | 0 | 0 | 1 | X | X | 1 | X | 1 |
| 1 | 1 | 0 | 0 | 1 | 0 | 1 | X | 0 | 0 | X | 1 | X |
| 1 | 1 | 0 | 1 | 1 | 1 | 0 | X | 0 | 1 | X | X | 1 |
| 1 | 1 | 1 | 0 | 1 | 1 | 1 | X | 0 | X | 0 | 1 | X |
| 1 | 1 | 1 | 1 | 0 | 0 | 0 | X | 1 | X | 1 | X | 1 |

## VIVA VOCE

1. What is synchronous counter?
2. What is Asynchronous counter?
3. What are the differences between synchronous and Asynchronous counter?
4. How many flip flops are used to 4 bit counter?
5. What is meant by decade counter
6. What is the function of up and down counter?

## RESULT:

Thus the Synchronous, Asynchronous counter, decade counter and up/down counter are designed and implemented.

## Ex.No.- 7

## AIM:

To implement all the basic logic gates using Verilog and VHDL simulator.

## LOGIC GATE SYMBOLS







## TRUTH TABLES

| 2 Input AND gate |  |  |  |
| :---: | :---: | :---: | :---: |
| A | B | $\mathrm{A} . \mathrm{B}$ |  |
| $\square$ | $\square$ | $\square$ |  |
| $\square$ | 1 | $\square$ |  |
| 1 | $\square$ | $\square$ |  |
| 1 | 1 | 1 |  |


| 2 Input OR gate |  |  |
| :---: | :---: | :---: |
| $A$ | $B$ | $A+B$ |
| $\square$ | $\square$ | $\square$ |
| $\square$ | 1 | 1 |
| 1 | $\square$ | 1 |
| 1 | 1 | 1 |


| NOT gate |  |
| :---: | :---: |
| $A$ | $\bar{A}$ |
| $\square$ | 1 |
| 1 | 0 |


| 2 Input NAND gate |  |  |
| :---: | :---: | :---: |
| A | B | $\overline{\mathrm{A} . \mathrm{B}}$ |
| $\square$ | $\square$ | 1 |
| $\square$ | 1 | 1 |
| 1 | $\square$ | 1 |
| 1 | 1 | $\square$ |

2 Input NOR gate

| A | B | $\overline{\mathrm{A}+\mathrm{B}}$ |
| :---: | :---: | :---: |
| $\square$ | $\square$ | 1 |
| $\square$ | 1 | $\square$ |
| 1 | $\square$ | $\square$ |
| 1 | 1 | $\square$ |

2 Input EXOR gate

| $A$ | $B$ | $A \oplus B$ |
| :---: | :---: | :---: |
| $\square$ | $\square$ | $\square$ |
| $\square$ | 1 | 1 |
| 1 | $\square$ | 1 |
| 1 | 1 | $\square$ |


| 2 Input EXNOR gate |  |  |
| :---: | :---: | :---: |
| $A$ | $B$ | $A \oplus B$ |
| 0 | 0 | 1 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

## VERILOG CODE

## AND GATE

module and12 $(\mathrm{a}, \mathrm{b}, \mathrm{c})$;
input a ;
input b ;
output c ;
assign $\mathrm{c}=\mathrm{a} \& \mathrm{~b}$;
endmodule

## NAND GATE

module and12(a,b,c);
input a;
input b;
output c;
$\operatorname{assign} \mathrm{c}=\sim(\mathrm{a} \& \mathrm{~b})$;
endmodule

## OR GATE

module or12( $a, b, d$ );
input $a$;
input $b$;
output d;
assign $d=a \mid b ;$
endmodule

## XOR GATE

module xor $12(a, b, h)$;
input $a$;
input $b$;
output $h$;
assign $h=a^{\wedge} b$;
endmodule

## NOR GATE

module nor12 $(a, b, f)$;
input $a$;
input $b$;
output f;
assign $f=\sim(a \mid b)$;
endmodule

## NOT GATE

module not $12(a, g)$;
input $a$;
output g;
assign $g=\sim a$;
endmodule

## AND GATE

## VERILOG CODE:

module and12(a,b,c);
input a;
input b;
output c;
$\operatorname{assign} c=a \& b ;$
endmodule

## OUTPUT WAVEFORM:



## OR GATE

## VERILOG CODE:

module or12(a,b,d);
input a;
input b;
output d;
assign $d=a \mid b ;$
endmodule.

## OUTPUT WAVEFORM:



## NOT GATE

## VERILOG CODE:

## module not12(a,g);

input a;
output g;
$\operatorname{assign} g=\sim a$;
endmodule

## OUTPUT WAVEFORM:



## EX-OR GATE

## VERILOG CODE:

```
module xor12(a,b,h);
    input a;
    input b;
    output h;
    assign h = a^b;
endmodule
```


## VHDL CODE:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
entity xor_gate is
port (a,b : in std_logic ;
c : out std_logic);
end xor_gate;
architecture Behavioral of xor_gate is
begin
$\mathrm{c}<=\mathrm{a}$ xor b ;
end Behavioral;

## OUTPUT WAVEFORM:



## RESULT:

Thus all the basic logic gates are implemented and verified using Verilog and VHDL simulator.

## AIM:

To simulate the sequential and combinational circuits using HDL simulator (Verilog and VHDL).

## HALF ADDER

## Truth Table

| Input |  | Output |  |
| :---: | :---: | :---: | :---: |
| A | B | S(Sum) | C(Carry) |
| 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 1 | 0 |
| 1 | 1 | 1 | 1 |

## Circuit Diagram



## Graphical Notation



## Equations

S (Sum) =A^B
$\mathrm{C}($ Carry $)=\mathrm{AB}$

## Verilog Code:

module hadd(a,b,s,c); input a ;
input b;
output s;
output c;
assign $\mathrm{s}=\mathrm{a}^{\wedge} \mathrm{b}$;
assign $c=a \& b ;$
endmodule
Output:


## VHDL CODE

library IEEE;
use IEEE.STD_LOGIC_1164.ALL; use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL; entity halfadder is
port(
a : in std_logic; b : in std_logic;
sum : out std_logic; carry : out std_logic );
end halfadder;
architecture Behavioral of halfadder is begin
sum <= (a xor b); carry <= (a and b); end Behavioral;

## Input:

a: 1;
b:1;
Sum : 0
Carry : 1

## Output:

| Name | Value |  | $\mid$ | \|2,676,932ps |  |  | $\mid$ | $2,676,936 \mathrm{ps}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1]a | 1 |  |  |  |  |  |  |  |
| 國 ${ }^{\text {b }}$ | 1 |  |  |  |  |  |  |  |
| In sum | 0 |  |  |  |  |  |  |  |
| carry | 1 |  |  |  |  |  |  |  |

(ii) FULL ADDER

Truth Table

| Input |  |  | Output |  |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{C}$ | SUM | Cout |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 1 |
| 1 | 1 | 0 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |

K-Map for sum
K-map for Carry

| $A{ }^{B C}$ | $\mathrm{B}^{\prime} \mathrm{C}$ ' | B'C | BC | BC' |
| :---: | :---: | :---: | :---: | :---: |
| A' | 0 | (1) | 0 | (1) |
| A | (1) | 0 | (1) | 0 |

H.ADDER $\quad \mathbf{S U M}^{\prime}=\mathbf{A}^{\prime} \mathbf{B}^{\prime} \mathbf{C}+\mathbf{A}^{\prime} \mathbf{B C}^{\prime}+\mathbf{A B}{ }^{\prime} \mathbf{C}^{\prime}+\mathbf{A B C} \quad$ Cout $=\mathbf{A}^{\prime} \mathbf{B C}+\mathbf{A B}{ }^{\prime} \mathbf{C}+\mathbf{A B C}{ }^{\prime}+\mathbf{A B C}$
SUM $=\quad \mathbf{A}^{\wedge} \mathbf{B}^{\wedge} \mathbf{C}$
Cout $=\left(\mathbf{A}^{\wedge} \mathbf{B}\right) \mathbf{C}+\mathbf{A B}$

## Circuit Diagram:



## Verilog Code:

module fadd(a,b,c,s,cout);
input a;
input b;
input c; output s;
output cout;
assign $\mathrm{s}=\left(\mathrm{a}^{\wedge} \mathrm{b}\right)^{\wedge} \mathrm{c}$;
assign cout $=(\mathrm{a} \& \mathrm{~b})|(\mathrm{b} \& \mathrm{c})|(\mathrm{c} \& \mathrm{a}) ;$
endmodule

## Output:



## VHDL Code:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
entity fulladder is
port(
a : in std_logic;
b : in std_logic;
cin : in std_logic;
sum : out std_logic;
carry : out std_logic
);
end fulladder;
architecture Behavioral of fulladder is
begin
sum <= (a xor b xor cin);
carry <= (a and b) or (b and cin) or (a and cin);
end Behavioral;

## Output:

| Name | Value |  | \|1,999,995 ps | 1,999,996ps | \|1,999,997 ps | 1,999,998 ps | \|1,999,999 ps |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 7昷a | 1 |  |  |  |  |  |  |
| 回 $b$ | 1 |  |  |  |  |  |  |
| 7 ${ }^{\text {a }}$ cin | 0 |  |  |  |  |  |  |
| ] sum | 0 |  |  |  |  |  |  |
| 10 carry | 1 |  |  |  |  |  |  |

(iii)

## Verilog Code:

module hsub(a,b,d,bor);
Input a;
Input b;
output d;
output bor;
assign $\mathrm{d}=\mathrm{a}^{\wedge} \mathrm{b}$ );
assign bor $=(\sim \mathrm{a} \& \sim \mathrm{~b})$;
end module

## VHDL Code:

library IEEE;

```
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
entity halfsubtractor is
port(
a : in std_logic;
b : in std_logic;
dif : out std_logic;
bor : out std_logic
);
end halfsubtractor;
architecture Behavioral of halfsubtractor is
begin
dif <= a xor b;
bor <= ((not a) and b);
end Behavioral;
```


## Output:

| Name | Yalue | \|1,979,480ps | \|1,979,481 ps |  | \|1,979,483ps | \|l,979,484 ps | 1,979,485 ps | $\begin{array}{r}1,97 \\ \hline 1 \\ \hline\end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1]a | 1 |  |  |  |  |  |  |  |
| 成 ${ }^{\text {b }}$ | 0 |  |  |  |  |  |  |  |
| 10 dif | 1 |  |  |  |  |  |  |  |
| 10 bor | 0 |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |

(iv) FULL SUBTRACTOR

## Verilog Code:

module sub(a,b,c,d,b out);
input a;
input b;
input c;
output d;
output bout;
assign $\mathrm{d}=\left(\mathrm{a}^{\wedge} \mathrm{b}\right)^{\wedge} \mathrm{c}$;
assign bout $=(\sim \mathrm{a} \& \mathrm{~b})|(\mathrm{b} \& \mathrm{c})|(\mathrm{c} \& \sim \mathrm{a}) ;$
endmodule

## Output:



## VHDL Code:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
entity fullsubtractor is
port( a : in std_logic;
b : in std_logic;
cin : in std_logic;
dif : out std_logic;
bor : out std_logic );
end fullsubtractor;
architecture Behavioral of fullsubtractor is begin
dif $<=$ a xor b xor cin;
bor <= (((not a) and b) or (( not a) and cin) or (b and cin)); end Behavioral;

## INPUT:

a: 0 ;
b :0;
Cin: 1
Difference: 1
Borrow: 1

## Output:



## Verilog Code:

Module mux4to1(Y, I0, I1, I2, I3, sel);
output Y;
input I0,I1,I2,I3;
input [1:0] sel;
reg Y;
always @ (sel or I0 or I1 or I2 or

I3) case (sel)

$$
\begin{aligned}
& \text { 2'b00:Y=I0; } \\
& \text { 2'b01:Y=I1; } \\
& \text { 2'b10: Y=I2; } \\
& \text { 2'b11: Y=I3; }
\end{aligned}
$$

endcase
endmodule

## Output:



## VHDL Code:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL; use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL; entity mux is
port(
inp : in std_logic_vector(3 downto 0); sel : in std_logic_vector(1 downto 0); muxout
: out std_logic --mux output line );
end mux;
architecture Behavioral of mux is begin
process(inp,sel) begin
case sel is when " 00 " =>
muxout <= inp(0); -- mux O/P=1 I/P-- when "01" =>
muxout <= inp(1); -- mux O/P=2 I/P-- when "10" =>
muxout $<=\operatorname{inp}(2) ;--\operatorname{mux} \mathrm{O} / \mathrm{P}=3 \mathrm{I} / \mathrm{P}--$ when "11" $=>$
muxout <= inp(3); -- mux O/P=4 I/P-- when others =>
end case; end process;
end Behavioral;

## Truth Table:

| INPUTS |  |  |  |  |  | OUTPUT |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| sel1 | sel0 | inp0 | inp1 | inp2 | inp3 | muxout |
| 0 | 0 | 1 | 0 | 0 | 0 | 1 |
| 0 | 1 | 0 | 1 | 0 | 0 | 1 |
| 1 | 0 | 0 | 0 | 1 | 0 | 1 |
| 1 | 1 | 0 | 0 | 0 | 1 | 1 |
| NOTE : I means binary input which is either 0 or 1 |  |  |  |  |  |  |

## Verilog Code:

```
module demux(S,D,Y);
        Input [1:0] S;
        Input D;
        Output [3:0] Y; reg Y;
        always @(S OR )
        case({D,S})
        3'b100: Y=4'b0001;
        3'b101: Y=4'b0010;
        3'b110: Y=4'b0100;
        3'b111: Y=4'b1000;
        default:Y=4'b0000;
        endcase
endmodule
```


## VHDL Code:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
entity demux is
port(
dmuxin : in std_logic;
sel : in std_logic_vector(1 downto 0);
oup : out std_logic_vector(3 downto 0)
);
end demux;
architecture Behavioral of demux is
begin
process(dmuxin,sel)
begin
case sel is
when " 00 " =>
oup $(0)<=$ dmuxin; --1 dmux o/p = dmux i/p--
oup(1) <= '0';
oup(2) <= '0';
oup(3) <= '0';
when "01" =>
oup(0) <= '0';
oup(1) <= dmuxin; --2 dmux o/p = dmux i/p--
$\operatorname{oup}(2)<={ }^{2} \mathbf{0}^{\prime}$;
oup(3) <= '0';
when " 10 " =>
oup(0) <= '0';
oup(1) <= ' 0 ';
oup $(2)<=$ dmuxin; --3 dmux o/p = dmux i/p--
oup(3) <= '0';
when "11" =>
oup(0) <= '0';
oup(1) <= ' 0 ';
oup(2) <= ' 0 ';
$\operatorname{oup}(3)$ <= dmuxin; --4 dmux o/p = dmux i/p--
when others =>
end case;
end process;
end Behavioral;

## Truth Table:

| INPUTS |  |  | OUTPUTS |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| sel1 | sel0 | dmuxin | oup0 | oup1 | oup2 | oup3 |
| 0 | 0 | I | I | 0 | 0 | 0 |
| 0 | 1 | I | 0 | I | 0 | 0 |
| 1 | 0 | I | 0 | 0 | I | 0 |
| 1 | 1 | I | 0 | 0 | 0 | I |
| NOTE : I means binary input which is either 0 or 1 |  |  |  |  |  |  |

## Output:



## (vii)

D FLIPFLOP

## VHDL Code:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
entity dff is

## port(

clk : in std_logic; --clock input
rst : in std_logic; --active low,synchronous reset
d : in std_logic; --d input
$\mathrm{q}, \mathrm{q}$ bar : out std_logic --flip flop outputs ie, $\mathrm{Qn}+1$ and its complement
);
end dff;
architecture Behavioral of dff is
begin
process(clk,rst)
begin
if rising_edge(clk) then
if (rst = '0') then --active low,synchronous reset
$\mathrm{q}<=$ '0';
qbar <= '1';
else
$\mathrm{q}<=\mathrm{d}$;
qbar <= not(d);
end if;
end if;
end process;
end Behavioral;

## Output:

| Name | Yalue | 1781,972,900 ps | 781,972,950 ps | 781,973,000 ps | 1781,973,050 ps | 781,973,100 ps | 781,973,150 ps |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 10 ck | 1 | $\square \square \square \square \square \square$ | $\square \square \square \square \square$ | $\square \square \square \square$ | $\square \square \square \square$ | $\square \square \square \square$ | $\square \square \square \square \square$ |
| Erst | 1 |  |  |  |  |  |  |
| 1 d | 1 |  |  |  |  |  |  |
| 10 | 1 |  |  |  |  |  |  |
| 14 l qbar | 0 |  |  |  |  |  |  |
|  |  | \| |  |  |  |  |  |

## Verilog code- D Flip flop

module d_flip_flop ( din ,clk ,reset ,dout );
output dout ;
reg dout;
input din
input clk ;
input reset ;
always @ (posedge clk)
begin
if (reset)
dout <= 1;

## (viii)

## T FLIPFLOP

## Verilog Code :

module tffeq(t,rst, clk,qp, qbar);
input t,rst, clk;
output qp, qbar; wire q;
reg qp;
always @ (posedge clk)
if (rst) qp=0;
else
$\mathrm{qp}=\mathrm{q}^{\wedge} \mathrm{t}$;
assign qbar $=\sim \mathrm{qp}$;
endmodule

## (ix) <br> JK FLIPFLOP

## Verilog Code:

```
module jkff(jk,pst,clr,clk,qp,qbar);
input [1:0] jk;
input pst,clr,clk;
output qp,qbar;
reg qp;
wire q;
always @ (posedge clk) if (pst)
    \(\mathrm{qp}=1\);
    else
    begin
    if (clr)
    \(\mathrm{qp}=0\);
    else
    begin
    case (jk)
        2'b00: qp=q;
        2'b01: qp = 1'b0;
        2'b10: qp =1'b1;
        2'b11: qp = ~q;
        default \(\mathrm{qp}=0\);
    endcase
    end
    end
    assign qbar \(=\sim\) q;
    assign \(q=q p ;\)
endmodule
```


## Output:

| Name | Value |  | \|2,879,800ps | $12,880,000 \mathrm{ps}$ | $12,880,200 \mathrm{ps}$ | 12,880,400 ps | 2,880,600ps | ${ }^{2,880,800 p \mathrm{ps}}$ | ${ }_{1}^{2,881,000 p s}$ | $\stackrel{12,881}{ }$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| - Mig jki:0] | 11 |  |  |  |  |  | 11 |  |  |  |
| Bpst | 1 |  |  |  |  |  |  |  |  |  |
| 18 ct | 1 |  |  |  |  |  |  |  |  |  |
| 1 ck | 0 | $\square$ | $\square$ | $\square$ |  | $\square$ | $\square$ |  |  |  |
| 10 qbar | 0 |  |  |  |  |  |  |  |  |  |
| 489 | 1 |  |  |  |  |  |  |  |  |  |
| 10. qP | 1 |  |  |  |  |  |  |  |  |  |

## (x) RIPPLE COUNTER

## Verilog Code:

module ripple(clkr,st,,t,A,B,C,D);
input clk,rst,t;
output A,B,C,D;
Tff T0(D,clk,rst,t);
Tff T1(C,clk,rst,t);
Tff T2(B,clk,rst,t);

Tff T3(A,clk,rst,t);
endmodule
module Tff(q,clk,rst,t);
input clk,rst,t;
output q;
reg q;
always @(posedge clk)
begin
if(rst)
$\mathrm{q}<=1$ 'b0; else
if(t)
$\mathrm{q}<=\sim \mathrm{q}$;
end
endmodule

## VHDL Code:

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
---- Uncomment the following library declaration if instantiating
---- any Xilinx primitives in this code.
--library UNISIM;
--use UNISIM.VComponents.all;
entity counter is
Port ( rst : in STD_LOGIC;
clk : in STD_LOGIC;
led : out std_logic_vector(3 downto 0)
);
end counter;
architecture Behavioral of counter is
signal reg :std_logic_vector(3 downto 0);
begin
process(rst,clk)
begin
if rst = ' 1 ' then
reg <= "0000";
elsif rising_edge(clk) then
reg $<=$ reg +1 ;
end if;
end process;
led( 3 downto 0 ) <= reg ( 3 downto 0 );
end Behavioral;

## Output:

| Name | Yalue | 177,764,440 ps | $1177764,460 \mathrm{ps}$ | 177,764,480 ps | 177,764,500 ps | 177,764,520 ps | $177,764,540 \mathrm{ps}$ | 177,764,560 ps |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $1]^{\text {rst }}$ | 0 |  |  |  |  |  |  |  |
| [1] dk | 1 |  |  |  |  |  |  |  |
| - $\mathrm{F}_{1} \mathrm{l}$ led | 0000 | - 11101111 | 080000001 | 0010 0011 | 010000101 | 01100111 | $1000 \times 1001$ | 10101011 |
| - F reg | 0000 | - 1110 | 070000001 | $0010 \times 0011$ | $0100 \times 0101$ | $0110 \times 0111$ | $1000 \times 1001$ | 10101011 |
|  |  | $\bigcirc$ |  |  |  |  |  |  |

(xi)

## UPDOWN COUNTER

## Verilog Code:

module updowncount (R, Clock, clr, E, up_down, Q);
parameter $\mathrm{n}=4$;
input [n-1:0] R;
input Clock, clr, E, up_down;
output [n-1:0] Q;
reg [n-1:0] Q;
integer direction;
always @ (posedge Clock)
begin
if (up_down) direction $=1$;
else direction $=-1$;
if (clr) $\mathrm{Q}<=\mathrm{R}$;
else if ( E ) $\mathrm{Q}<=\mathrm{Q}+$ direction;
end
endmodule

## UP Counter:

| Name | Value |  | 1944,520,800 ps | $1944,521,000 \text { ps }$ | 944,521,200ps | $\text { pa4, } 521,400 \text { ps }$ | 1944,521,600 ps | 1944,521,800 ps | $1944,52,, 000 \text { ps }$ | 1944,522,200ps | pa4,522,400ps | B44,522,66 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1111 |  |  |  |  |  | 1111 |  |  |  |  |  |
| 18.80 clock | 0 |  |  |  |  |  |  | L |  |  |  |  |
| [40 ${ }^{\text {ctr }}$ | 0 |  |  |  |  |  |  |  |  |  |  |  |
| 8 E | 1 |  |  |  |  |  |  |  |  |  |  |  |
| 18 up.down | 1 |  |  |  |  |  |  |  |  |  |  |  |
| - Ha $_{\text {Q }}^{\text {Q }}$ O] | 1111 | 1. | $0000 \bigcirc 0001$ | 0010 | $0 1 0 0 \longdiv { 0 1 0 1 }$ | 0110 | 10001001 | 1010 1011 | 11001101 | 1110 | 00000001 | 0010 |
| - ${ }_{\text {H }}$ direction[1:0] | 00000000000000000 |  |  |  |  |  | 00000000000000000 | 6000000000 |  |  |  |  |
|  | 00000000000000000 | - |  |  |  |  | 2000000000000000 | 00000000100 |  |  |  |  |

## DOWN Counter:

| Name | Value | 11,619,453,000 ps | $11,619,453,200 \mathrm{ps}$ | $11,619,453,400 \mathrm{ps}$ | 1,619,453,600 ps | 11,619,453,800 ps | $11,619,454,000$ ps | 619,454,200ps | 1, 1,619,454,400ps | $11,619,454,600 \mathrm{ps}$ | $\stackrel{11,619,454,8}{\stackrel{1}{\sim}}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1111 |  |  |  |  | 1111 |  |  |  |  |  |
| In clock | 1 | $\square \square$ | $\square$ | $\square$ | $\square$ | $\square$ | $\square$ | $\square \square$ | $\square$ |  |  |
| 8 cr | 0 |  |  |  |  |  |  |  |  |  |  |
| E | 1 |  |  |  |  |  |  |  |  |  |  |
| B up_down | 0 |  |  |  |  |  |  |  |  |  |  |
|  | 0100 | -0000 1111 | 1110 | $1 1 0 0 \longdiv { 1 0 1 1 }$ | 10101001 | $1000 \bigcirc$ | 0110 0101 | $0100 \times 0011$ | $0 0 0 1 0 \longdiv { 0 0 0 1 }$ | $0 0 0 0 \longdiv { 1 1 1 1 }$ | 1110 |
| - ${ }_{\text {H }}^{\text {direction[1:0] }}$ | 111111111111111113 |  |  |  |  | 11111111111111111 | 111111111111 |  |  |  |  |
| - 婜 n(11:0] | 00000000000000000 |  |  |  |  | 0000000000000000002 | 000000000100 |  |  |  |  |

a.

## Serial In Serial Out

## Verilog code

module d_flip_flop ( din ,clk ,reset ,dout );
output dout ;
reg dout;
input din ;
input clk ;
input reset ;
always @ (posedge clk)
begin
if (reset)
dout $<=1$;
else
dout <= din;
end
end module

## VHDL Code

library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
--library UNISIM;
--use UNISIM.VComponents.all;
entity hj is
port(
clk : in std_logic;
rst : in std_logic;
si: in std_logic;
so: out std_logic
);
end hj;
architecture Behavioral of hj is
signal temp : std_logic_vector( 3 downto 0);

## begin

process(clk,rst)
begin
if rising_edge(clk) then
if $\mathrm{rst}=$ ' 1 ' then
temp <= (others=>'0');
else
temp <= temp(2 downto 0$) \&$ si;
end if;
end if;
end process;
so $<=$ temp(3);
end Behavioral;

## Output:

| Name | Yalue |  | $35,655,720 \mathrm{ps}$ | $135,655,740 \mathrm{ps}$ | $35,655,760 \mathrm{ps}$ | $35,655,780 \mathrm{ps}$ | $\mid 35,655,800 \mathrm{ps}$ |  | 35,655,820 ps |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 10 ck | 1 |  |  |  |  |  |  |  |  |
| 18 rst | 0 |  |  |  |  |  |  |  |  |
| 19 | 0 |  |  |  |  |  |  |  |  |
| 10 50 | 1 |  |  |  |  |  |  |  |  |
| - ${ }_{\text {- }}^{\text {d }}$ temp[ $\left.3: 0\right]$ | 1100 | 1100 | $1000 \times 00$ | $020 \times 0001$ | $0011 \times 0111$ | 1111 | $1110 \times 1$ | 00 | $1000 \times$ |

## b.

## Parallel In Parallel Out

## a.VERILOG CODE

module pipo(din,clk,rst,dout);
input [3:0] din;
input clk,rst;
output [3:0] dout;
wire [3:0] din;
wire clk,rst;
reg [3:0] dout;
always @ (pos edge clk or neg edge rst)
begin
if(!rst)
begin dout <= 4'b0;
end
else begindout <= din;
end
end
end module

## VHDL Code:

> library IEEE;
use IEEE.STD_LOGIC_1164.ALL;
use IEEE.STD_LOGIC_ARITH.ALL;
use IEEE.STD_LOGIC_UNSIGNED.ALL;
--library UNISIM;
--use UNISIM.VComponents.all;
entity hj is
port(
clk : in std_logic;
rst : in std_logic;
po: out std_logic_vector(3 downto 0);
pi: in std_logic_vector( 3 downto 0)
);
end hj;
architecture Behavioral of hj is
signal temp : std_logic_vector( 3 downto 0);
begin
process(clk,rst)
begin
if rising_edge(clk) then
if $\mathrm{rst}=$ ' 1 ' then
temp <= (others=>' 0 ');
else
temp <= pi(3 downto 0);
end if;
end if;
end process;
po <= temp(3 downto 0);
end Behavioral;

## Output:



## RESULT:

Thus the sequential and combinational circuits are designed and implemented using HDL simulator (Verilog and VHDL).

